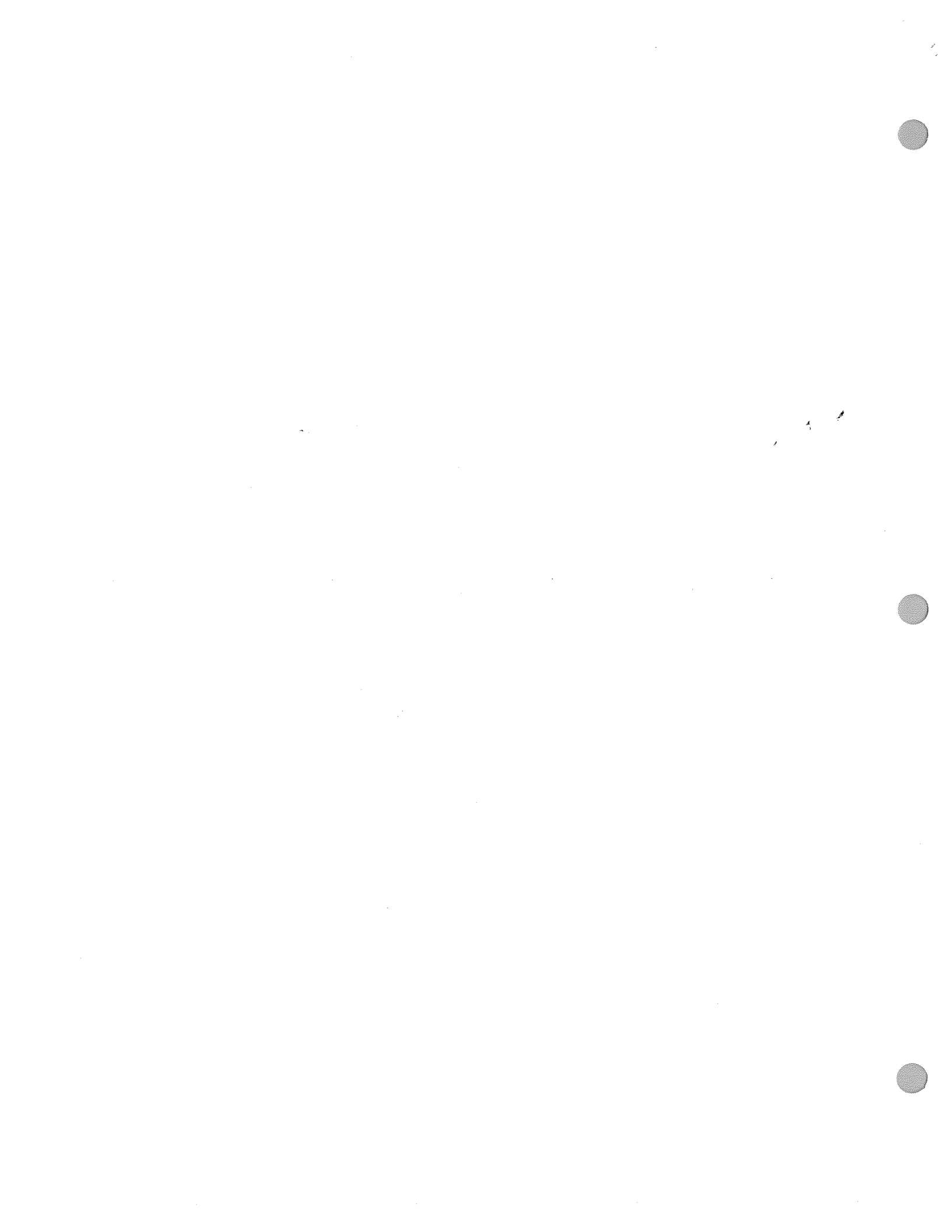


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Clinton Creek Slope Area Discharge  
(Corresponding to brake up flood of 2009)

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**Abstract:**

A set of cross sections taken on Clinton Creek close to Dawson are used to estimate discharge during a major flood in early June under the slope/area discharge method. The final result obtained was  $56.95\text{m}^3/\text{s}$ , far higher than any previous measured flow but not as high as the greatest estimated flow.

**Description:**

The spring of 2009 marked extremely high flows in a number of watercourses in Yukon due to a heavier snow pack than the norm. Clinton Creek, north of Dawson along the "Top of the World Highway" had flow rates great enough to cause the loss of the top of the stilling well box. At the time of the event the stream was too wild to gauge manually.

Prior to this measurement the highest flow to date recorded was  $15\text{m}^3/\text{s}$  on May 7<sup>th</sup>, 1979. On June 15<sup>th</sup> 1988 cross sections were taken to estimate slope area flow for a flood occurring May 17<sup>th</sup> 1988. Using the slope area method and Chezy and Manning equations flow was estimated to be  $62\text{m}^3/\text{s}$  with a manning number of 0.045 for a clean and slightly winding channel.

On July 27<sup>th</sup>, 2009, Ric Janowicz, Glen Ford, Colin M, and I traveled to Dawson and preformed cross-sectioning of the water course at the gabions and at the stilling well. The stream bed at the stilling well was rough gravel with some larger head sized rocks. On the RHS the bank was steep and earthen with short grass, moss, and some small trees/bushes. On the LHS the bank went from sandy depositional material and later wooded with short grass, moss, and trees/bushes. Currents through cross sectional volume were fairly uniform but there were some signs of turbulence in the surface water. At the gabions the stream bed was mostly fist sized cobbles with a fair amount of sedimentation due to the stilling nature of the gabions. There were several locations in the gabions themselves which had been perforated by fast moving debris. In both locations the constant high water marks were clear, the instantaneous high water level was less clear.

When considering drawings made from the gabion survey there was doubt that we could come up with a meaningful result in flow with any ease – the gabions constitute a hydraulic drop followed by a hydraulic jump, and unsteady flow. The rest of the section could be considered gradually changing flow. The cross sections taken at the stilling well were a simpler problem to consider – the stilling well reach is a relatively straight stretch, so we are able to assume steady uniform flow. We employed the Chezy and Manning equations to ascertain volumetric flow rate. The reach we used for this problem was about  $1/5^{\text{th}}$  of the recommended 5 times the width of cross sections; we were constrained by the topographical features of the stream which were such that there were few locations that were not disrupted by bends in the water course, hydraulic drops and jumps, and other area changing features.

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**Known Values:**

Area	m <sup>2</sup>	Defn	Source
A <sub>w1</sub>	0.841	Area under water level of 1st cross section	DRW001
A <sub>w2</sub>	0.987	Area under water level of 2nd cross section	DRW001
A <sub>w3</sub>	1.651	Area under water level of 3rd cross section.	DRW001
A <sub>1</sub>	22.9724	Area of 1st cross section	DRW001
A <sub>2</sub>	17.941	Area of 2nd cross section	DRW001
A <sub>3</sub>	22.0698	Area of 3rd cross section	DRW001
A <sub>r1</sub>	4.991	Area of flood plane on 1st cross section	DRW001
A <sub>c1</sub>	16.4777	Area of channel of 1st cross section	DRW001
A <sub>l1</sub>	1.5037	Area of flood plane on 1st cross section	DRW001
A <sub>r2</sub>	3.6489	Area of flood plane on 2nd cross section	DRW001
A <sub>c2</sub>	13.0431	Area of channel of 2nd cross section	DRW001
A <sub>l2</sub>	1.249	Area of flood plane on 2nd cross section	DRW001
A <sub>r3</sub>	4.2424	Area of flood plane on 3rd cross section	DRW001
A <sub>c3</sub>	16.8183	Area of channel of 3rd cross section	DRW001
A <sub>l3</sub>	1.009	Area of flood plane on 3rd cross section	DRW001
Perimeter	m	Defn	
P <sub>w1</sub>	6.185	Wetted perimeter of 1st x-sect at water level	DRW-001
P <sub>w2</sub>	4.399	Wetted perimeter of 2nd x-sect at water level	DRW-002
P <sub>w3</sub>	6.488	Wetted perimeter of 3rd x-sect at water level	DRW-003
P <sub>1</sub>	18.9833	Wetted perimeter of 1st x-sect	DRW-001
P <sub>2</sub>	17.4725	Wetted perimeter of 2nd x-sect	DRW-002
P <sub>3</sub>	17.3013	Wetted perimeter of 3rd x-sect	DRW-003
P <sub>r1</sub>	8.5867	Wetted perimeter of flood plane on 1st cross section	
P <sub>c1</sub>	12.0646	Wetted perimeter of channel of 1st cross section	
P <sub>l1</sub>	3.952	Wetted perimeter of flood plane on 1st cross section	
P <sub>r2</sub>	6.5002	Wetted perimeter of flood plane on 2nd cross section	
P <sub>c2</sub>	10.6861	Wetted perimeter of channel of 2nd cross section	
P <sub>l2</sub>	3.6377	Wetted perimeter of flood plane on 2nd cross section	
P <sub>r3</sub>	8.6341	Wetted perimeter of flood plane on 3rd cross section	
P <sub>c3</sub>	11.3765	Wetted perimeter of channel of 3rd cross section	
P <sub>l3</sub>	3.3937	Wetted perimeter of flood plane on 3rd cross section	
Slope	m/m		
S <sub>t</sub>	0.00818	slope between 1st and 3rd x-section @ water surface	
S <sub>b</sub>	0.0134	slope between 1st and 3rd x-section @ bed	DRW-004
Volumetric Flow	m <sup>3</sup> /s		
Q <sub>w</sub>	0.26	low flow Q in cross section reach	Aquacalc

### Calculations:

First method:

1.) Calculate n using manning formula from low flow Q, and then calculate V using manning and cross section dimensions

$$n = \frac{R_h^{2/3} * S^{1/2}}{v} = \frac{(R_h w)^{2/3} * \bar{S}^{1/2}}{Q/A_{bar,w}} = \frac{(0.2038)^{2/3} * \sqrt{0.01079}}{0.26/1.1597} = \frac{0.3463 * 0.1039}{0.2242} = 0.1604$$

2.) Calculate flow velocity v for flood flow using Manning's eqn.

$$v = \frac{R_h^{2/3} * \bar{S}^{1/2}}{n} = \frac{(1.1716)^{2/3} * 0.1039}{0.1605} = 0.7195 m/s$$

3.) Calculate Q using eqn 4

$$Q = vA = 0.7195 * 20.9944 = 15.10 m^3/s$$

Second method:

1.) Use n from previous study of channel characteristics  
n=0.04

2.) Calculate v using equation 3

$$v = \frac{R_h^{2/3} * S_{bar}^{1/2}}{n} = \frac{1.1114 * 0.1039}{0.04} = 2.886 m/s$$

3.) Calculate Q using equation 4

$$Q = 2.886 * 20.9944 = 60.59 m^3/s$$

Third Methro:

1.) Take n from chart for heavy stand timber at 0.100 and n from chart for gravel, cobbles, and few boulders at 0.040

2.) Calculate v for each bank and for center of stream using equation 3.

$$v_r = \frac{R_h r^{2/3} S_{bar}^{1/2}}{n_f} = \frac{0.6656 * 0.1039}{0.100} = 0.6914 m/s$$

$$v_l = \frac{R_h l^{2/3} S_{bar}^{1/2}}{n_f} = \frac{0.3425 * 0.1039}{0.100} = 0.5085 m/s$$

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### Derived Values:

symbol	value	description
$A_{\text{bar}W}$	1.1597	Average of $A_w$
$P_{\text{bar}W}$	5.6907	Average of $P_w$
$A_{\text{bar}}$	20.9944	Average of $A$
$P_{\text{bar}}$	17.919	Average of $P$
$A_{\text{bar}r}$	4.2941	Average of $A_r$
$A_{\text{bar}C}$	15.4464	Average of $A_c$
$A_{\text{bar}l}$	1.2539	Average of $A_l$
$P_{\text{bar}r}$	7.907	Average of $P_r$
$P_{\text{bar}C}$	11.3757	Average of $P_c$
$P_{\text{bar}l}$	3.6611	Average of $P_l$
$R_{hW}$	0.2038	Hydraulic radius of wetted channel
$R_h$	1.1716	Hydraulic radius of channel and flood plains
$R_{hr}$	0.5431	Hydraulic radius of right flood plain
$R_{hC}$	1.3578	Hydraulic radius of channel
$R_{hl}$	0.3425	Hydraulic radius of left flood plain
$S_{\text{bar}}$	0.01079	Average of top and bottom slope

Table 2: averages and hydraulic radii

### Equations:

**Chezy :**

$$v = C\sqrt{RS} \text{ (eqn1)}$$

v=velocity

$$C = \text{Chezy coefficient} = \frac{R^{1/6}}{n} \text{ (eqn2)}$$

$$R_h = \text{hydraulic radius} = \frac{\text{area}}{\text{perimeter(wetted)}}$$

S=friction slope

n=manning number

**Manning:**

$$v = \frac{R_h^{2/3} * S^{1/2}}{n} \text{ (eqn3)}$$

**Volumetric Flow:**

$$Q = vA \text{ (eqn4)}$$

$$v_l = \frac{R_h c^{2/3} S_{bar}^{1/2}}{n} = \frac{1.2262 * 0.1039}{0.040} = 3.1843 \text{ m/s}$$

3.) Calculate Q using equation 4 and sum 3 values

$$Q = Q_c + Q_r + Q_l = (3.1843 * 15.4463) + (0.6914 * 4.2941) + (0.5085 * 1.2539)$$

$$Q = 56.69 \text{ m}^3/\text{s}$$

### **Discussion:**

The 1<sup>st</sup> method result in Q values which, when compared against the stage discharge curve with an estimated stage of 2.040m (estimated by comparing the water level, sg at time of measurement, and high water marks), is extremely low. Even though we expect the stage discharge curve to change in these situations due to change in channel shape, the level of discrepancy – shown in figure 1 – is beyond any expectations. The back-calculated n is the measurement is the most likely source of this error. It is likely that with this low flow rate that any error would be magnified in this method, and indeed Chow (1959) stated that Manning's equation becomes inapplicable when the relative roughness exceeds 1/3 the water depth.

The 2<sup>nd</sup> method used takes an n value extracted from a chart of n values, and calculates Q using Chezy's equation – though Manning's is just as valid and returns the same result. The major source of concern with this method is that any calculation we have made here has been made under the assumption of basically uniform n in cross section. We cannot reasonably make this assumption once the stream leaves its stream bed. We may be able to argue that flow through areas outside the stream bed is low enough to be inconsequential, but then because we are assuming pooling in those areas we should perhaps not take those sections that leave their banks into consideration. As it is, the 2<sup>nd</sup> method exaggerates flow slightly.

The 3<sup>rd</sup> and final method obtains a Q value of 56.95m<sup>3</sup>/s. This method divides the channel into a flood plain and a primary channel. The flood plains are calculated with an n value of 0.100 for wooded with little undergrowth. The channel maintains an n value equivalent to that proposed in method 2. It is assumed that in taking into account full channel characteristics that the result of this method should be more accurate than that achieved in the 2<sup>nd</sup> method.

**Appendix 1:**

1st section@14:40					3rd section 21.4m below 1st section				
station	HI	FS	Elev		Station	HI	FS	Elev	comment
0.450	100.000	0.920	99.080	HWM LB	2.000	100.000	1.120	98.880	HWM LB
0.800		1.190	98.810		7.000		1.850	98.150	
1.700		1.260	98.740		9.000		2.510	97.490	
3.600		1.600	98.400		9.500		2.945	97.055	WL LB
6.100		1.985	98.015		9.500		3.115	96.885	
7.300		2.430	97.570		10.600		3.200	96.800	
7.450		2.775	97.225	WL LB	11.200		3.140	96.860	
7.900		2.890	97.110		11.850		3.260	96.740	
8.700		2.915	97.085		12.700		3.300	96.700	
9.400		2.940	97.060		13.900		3.310	96.690	
10.000		2.890	97.110		14.900		3.185	96.815	
10.700		3.030	96.970		15.700		2.950	97.050	WL RB
11.250		2.910	97.090		16.550		2.890	97.110	
12.000		2.950	97.050		16.900		1.780	98.220	
12.700		2.970	97.030		19.300		0.910	99.090	HWM RB
13.250		2.790	97.210	WI RB					
16.200		2.245	97.755						
18.500		0.940	99.060	HWM RB					
2nd section 7.90m below 1st section									
Station	HI	FS	Elev						
1.900	100.000	1.160	98.840	HWM LB					
4.200		1.470	98.530						
6.200		1.840	98.160						
8.400		2.415	97.585						
8.900		2.950	97.050	WL LB					
9.350		3.065	96.935						
10.150		3.220	96.780						
11.350		3.245	96.755						
12.200		3.320	96.680						
13.200		2.950	97.050	WL RB					
13.400		2.560	97.440						
14.500		2.035	97.965						
16.000		2.130	97.870						
18.300		1.025	98.975	HWM RB					

Table 3: Survey notes



SECTION #1

$R_n = 0.58m$

$P_w = 8.59m$

$4.99m^2$

$R_n = 1.37m$

$16.48m^2$

$P_w = 12.06m$

$R_n = 0.34m$

$1.50m^2$

$P_w = 3.95m$

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SECTION #2

$R_n = 0.56m$

$3.65m^2$

$P_w = 6.50m$

$R_n = 1.22m$

$13.04m^2$

$P_w = 10.69m$

$R_n = 0.34m$

$1.25m^2$

$P_w = 3.64m$

SECTION #3

$R_n = 0.49m$

$4.24m^2$

$P_w = 8.63m$

$R_n = 1.45m$

$16.82m^2$

$P_w = 11.98m$

$R_n = 0.30m$

$1.01m^2$

$P_w = 3.39m$



**References:**

Ven Te Chow, Open Channel Hydraulics: McGraw-Hill College, 1959

